



More Routing

EE122 Fall 2012

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<http://inst.eecs.berkeley.edu/~ee122/>

Materials with thanks to Jennifer Rexford, Ion Stoica, Vern Paxson
and other colleagues at Princeton and UC Berkeley

Let's focus on clarifying questions

- I love the degree of interaction in this year's class
- But there are many people who are confused
- I'd like to give them the chance to ask about basics
- So today, let's give priority to questions of the form
 - “I don't understand X” or “how does that work?”
- Ask speculative questions during or after break

Warning....

- This lecture contains detailed calculations
- Prolonged exposure may induce drowsiness
- To keep you awake I will be tossing beanbags
 - **Do not misplace them**
 - **Do not read the sheet of paper attached**
 - If you've already participated, hand to nbr who hasn't

Logic Refresher

- A ***if*** B means $B \rightarrow A$
 - if B is true, then A is true
- A ***only if*** B means $A \rightarrow B$
 - if A is true, then B is true
- A ***if and only if*** B means: $A \leftrightarrow B$
 1. If A is true, then B is true
 2. If B is true, then A is true
- To make the statement that A if and only if B, you must prove statements 1 and 2.

Short Summary of Course

- Architecture, layering, E2E principle, blah, blah,...
 - How functionality is organized
- There are only two important design challenges:
 - **Reliable Transport** and **Routing**

- Reliable Transport:

A transport mechanism is “reliable” if and only if it resends all dropped or corrupted packets

- Routing:

Global routing state is valid if and only if there are no dead ends (easy) and there are no loops (hard)

10 Years from Now....

- If you remember nothing else from this course except this single slide, I'll be very happy
- *If you don't remember this slide, you have wasted your time...*

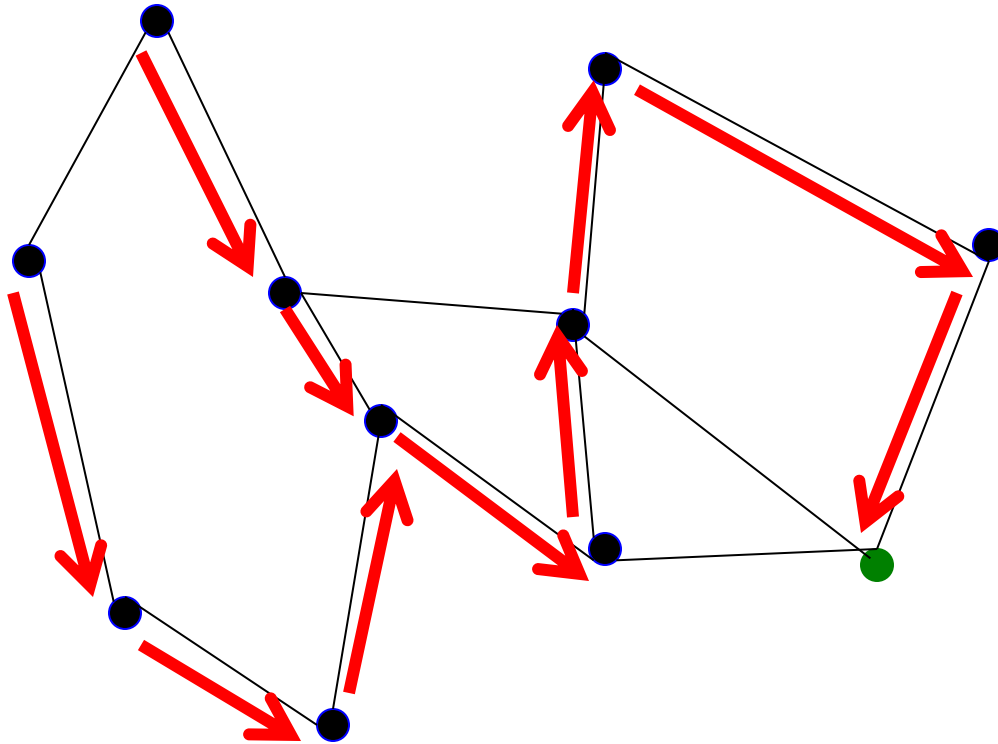
Previous Routing Lecture

- We assume destination-based forwarding
- The key challenge is to compute loop-free routes
- This is easy when the topology is a tree
 - Loops are impossible without reversing a packet
 - Flooding always will find the destination
 - Can use “learning” to reduce need for flooding
- But this approach has serious disadvantages
 - Can’t use entire network, must restrict to tree
 - Does not react well to failures or host movement
 - Universally hated by operators.....

Other Ways to Avoid Loops?

- If I gave you a network graph, could you define loop-free paths to a given destination?
- Simple algorithm:
 - For given source, pick an arbitrary path that doesn't loop
 - For any node not on path, draw a path that does not contradict earlier path
 - Continue until all nodes are covered
- Can pick *any* spanning tree rooted at destination

Example



Loops are easy to avoid...

- ..if you have the whole graph
- Centralized or pseudo-centralized computation
 - Requirement: ***routes computed knowing global view***
 - One node can do calculation for everyone
 - Or each node can do calculation for themselves
- But question is: how do you construct global view?

Link-State

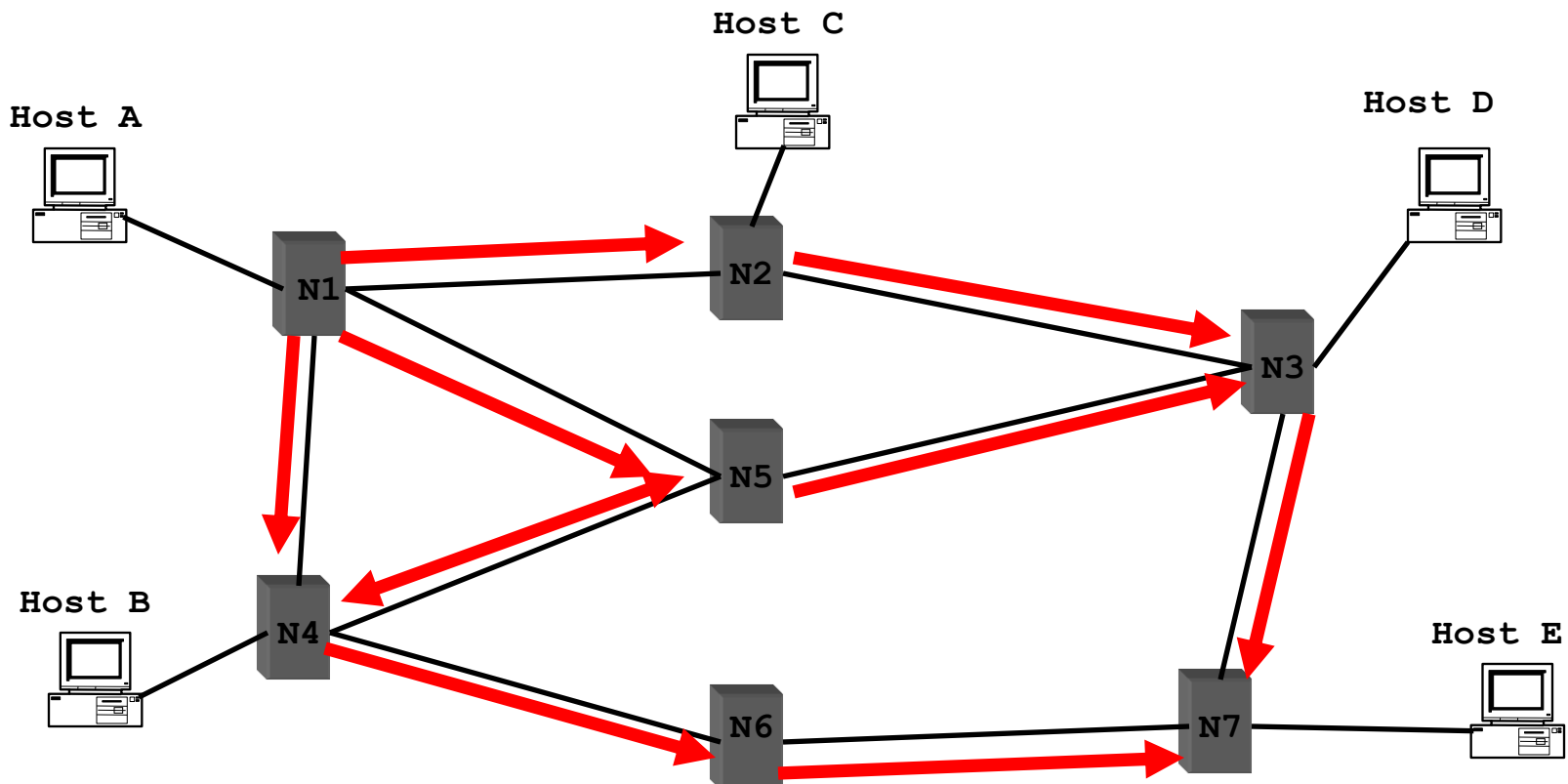
Details in Section

Link-State Routing Is Conceptually Simple

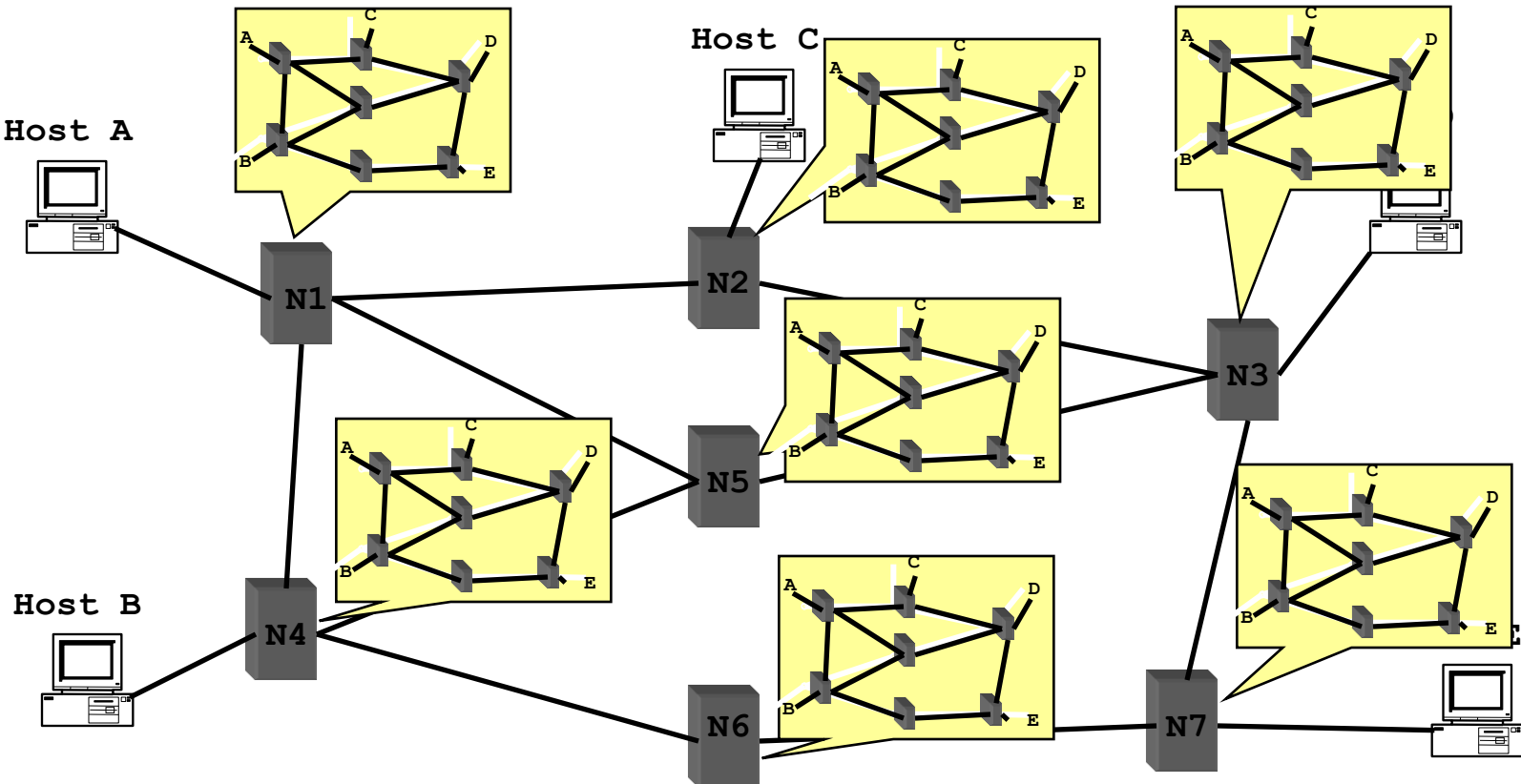
- Each router keeps track of its incident links
- Each router broadcasts the link state
 - To give every router a complete view of the graph
- Each router computes paths using same algorithm
- Example protocols
 - Open Shortest Path First (OSPF)
 - Intermediate System – Intermediate System (IS-IS)
- Challenges: scaling, transient disruptions

Link State Routing

- Each node floods its local information
- Each node then knows **entire** network topology



Link State: Each Node Has Global View



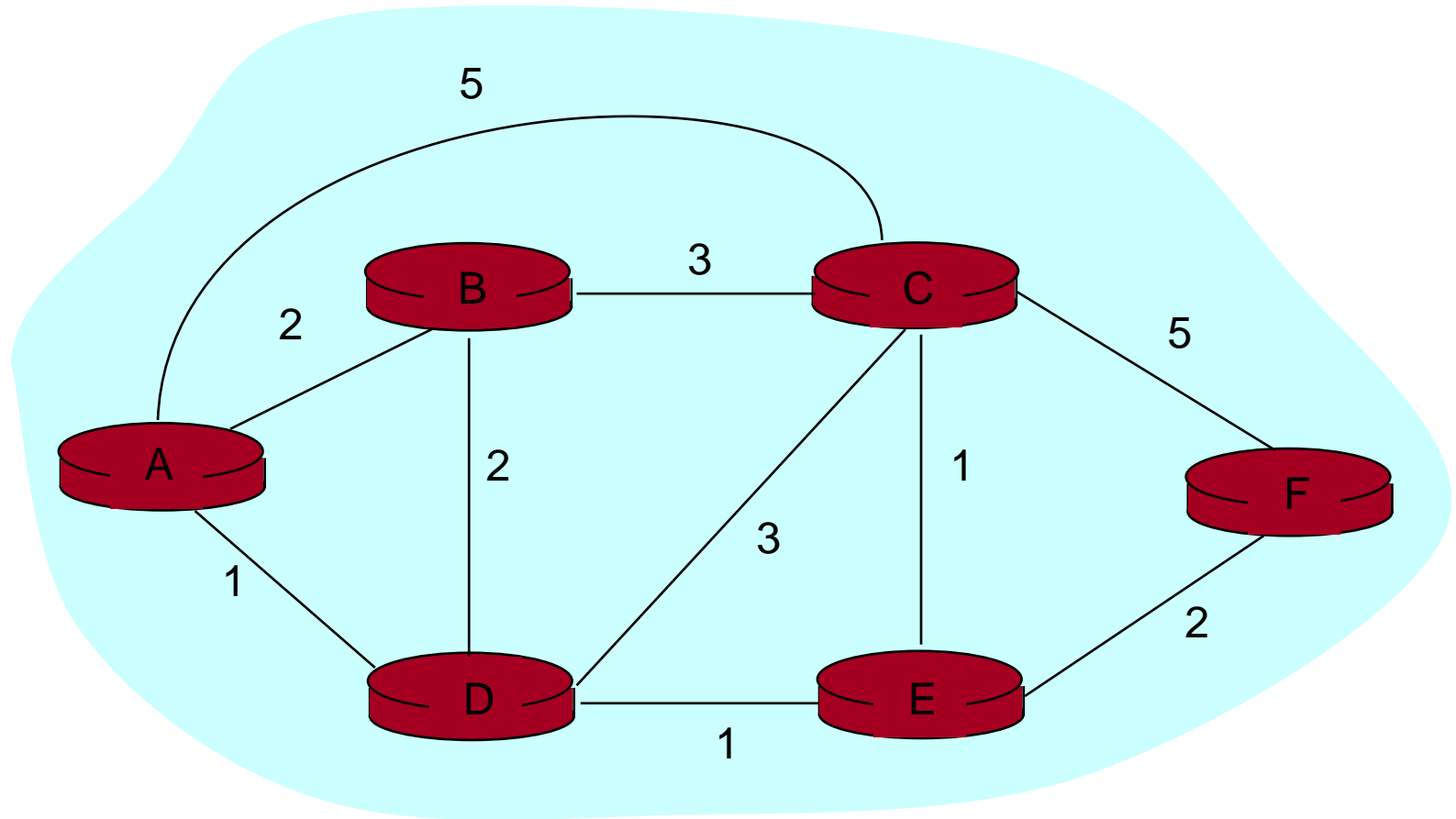
How to Compute Routes

- Each node should have **same** global view
- They each compute their own routing tables
- Using *exactly* the same algorithm
- Can use *any* algorithm that avoids loops
- Computing shortest paths is one such algorithm
 - Associate “cost” with links, don’t worry what it means....
 - Dijkstra’s algorithm is one way to compute shortest paths
- We will review Dijkstra’s algorithm briefly
 - But that’s just because it is expected from such courses
 - o Snore....

“Least Cost” Routes

- No sensible cost metric will be minimized by traversing a loop
- “Least cost” routes an easy way to avoid loops
- Least cost routes are also “destination-based”
 - i.e., do not depend on the source
 - Why is this?
- Therefore, least-cost paths form a spanning tree

Example

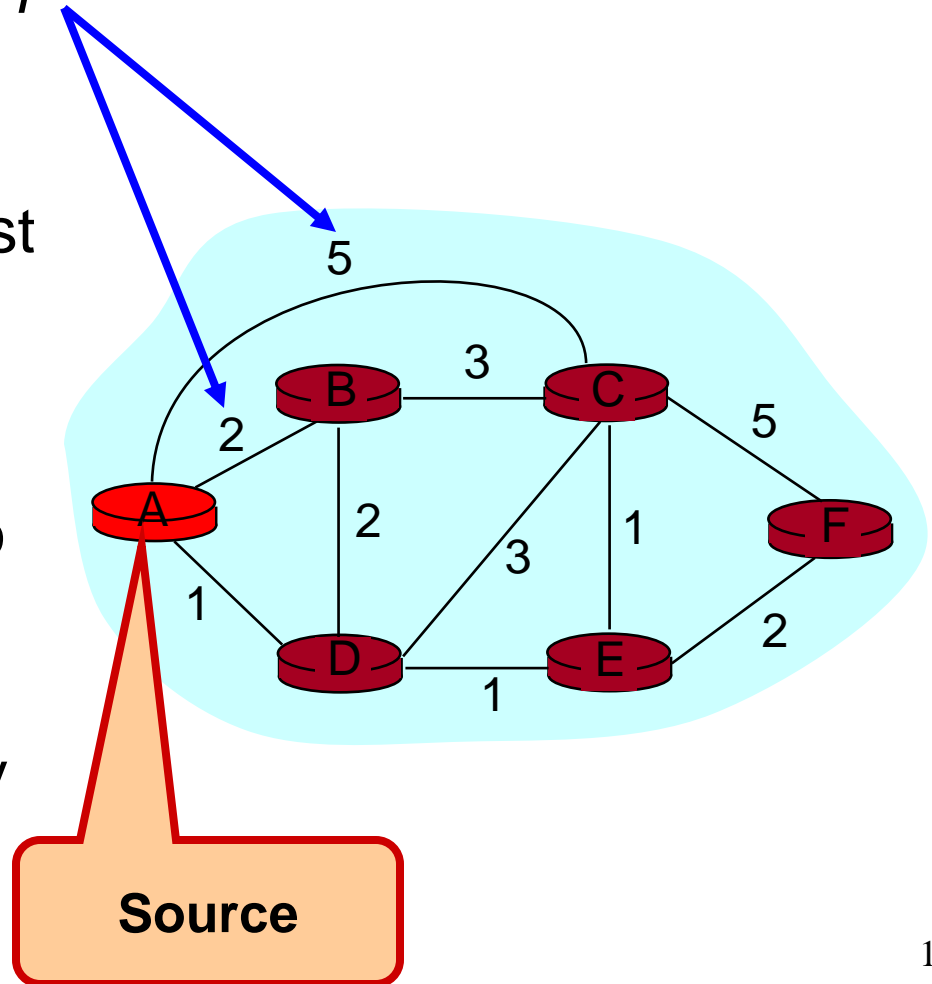


Dijkstra's Shortest Path Algorithm

- INPUT:
 - Network topology (graph), with link costs
- OUTPUT:
 - Least cost paths **from** one node to all other nodes
 - Produces “tree” of routes
 - o Different from what we talked about before
 - o Previous tree was rooted at destination
 - o This is rooted at source
 - o But shortest paths are reversible!
- Warnings:
 - **There is a typo, but I don't remember where (prize!)**
 - Most claim to know Dijkstra, but in practice they don't

Notation

- $c(i,j)$: link cost from node i to j ; cost infinite if not direct neighbors; ≥ 0
- $D(v)$: current value of cost of path from source to destination v
- $p(v)$: predecessor node along path from source to v , that is next to v
- S : set of nodes whose least cost path definitively known



Dijkstra's Algorithm

1 **Initialization:**

2 $\mathbf{S} = \{\mathbf{A}\};$

3 for all nodes \mathbf{v}

4 if \mathbf{v} adjacent to \mathbf{A}

5 then $D(\mathbf{v}) = c(\mathbf{A}, \mathbf{v});$

6 else $D(\mathbf{v}) = \infty;$

7

8 **Loop**

9 find \mathbf{w} not in \mathbf{S} such that $D(\mathbf{w})$ is a minimum;

10 add \mathbf{w} to $\mathbf{S};$

11 update $D(\mathbf{v})$ for all \mathbf{v} adjacent to \mathbf{w} and not in $\mathbf{S};$

12 if $D(\mathbf{w}) + c(\mathbf{w}, \mathbf{v}) < D(\mathbf{v})$ then

// \mathbf{w} gives us a shorter path to \mathbf{v} than we've found so far

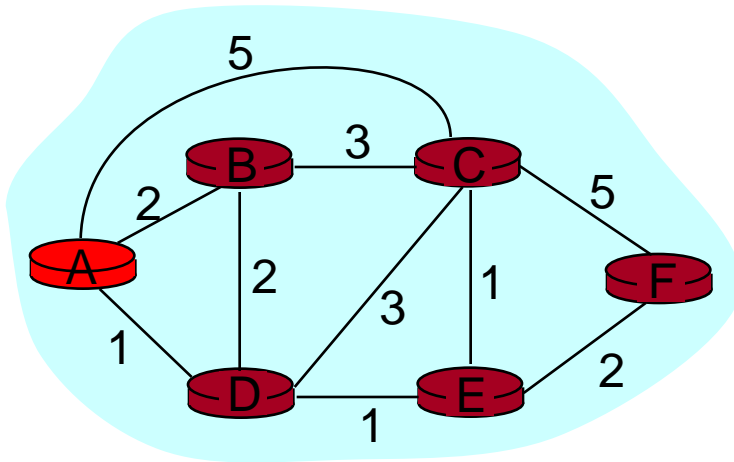
13 $D(\mathbf{v}) = D(\mathbf{w}) + c(\mathbf{w}, \mathbf{v}); p(\mathbf{v}) = \mathbf{w};$

14 **until all nodes in $\mathbf{S};$**

- $c(i,j)$: link cost from node i to j
- $D(\mathbf{v})$: current cost source $\rightarrow \mathbf{v}$
- $p(\mathbf{v})$: predecessor node along path from source to \mathbf{v} , that is next to \mathbf{v}
- \mathbf{S} : set of nodes whose least cost path definitively known

Example: Dijkstra's Algorithm

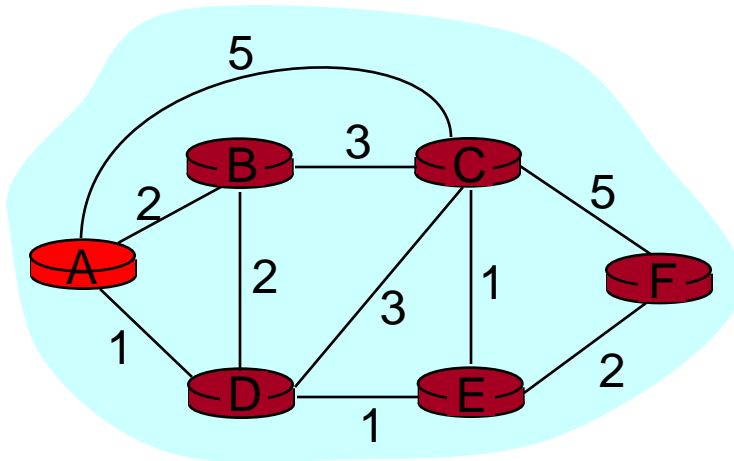
Step	start S	D(B),p(B)	D(C),p(C)	D(D),p(D)	D(E),p(E)	D(F),p(F)
0	A	2,A	5,A	1,A	∞	∞
1						
2						
3						
4						
5						



- 1 **Initialization:**
- 2 **S** = {A};
- 3 for all nodes **v**
- 4 if **v** adjacent to **A**
- 5 then $D(v) = c(A,v)$;
- 6 else $D(v) = \infty$;
- ...

Example: Dijkstra's Algorithm

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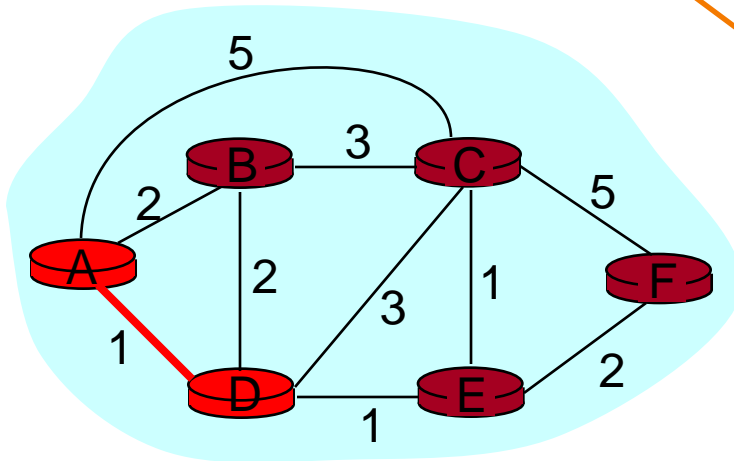


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    to w and not in S:
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13    $D(v) = D(w) + c(w,v)$ ;  $p(v) = w$ ;
14 until all nodes in S;
  
```

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1	AD					
2						
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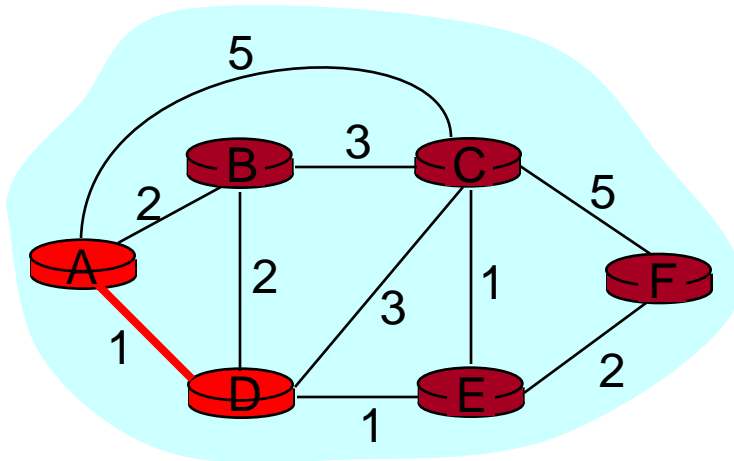


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1	AD		4,D		2,D	
2						
3						
4						
5						

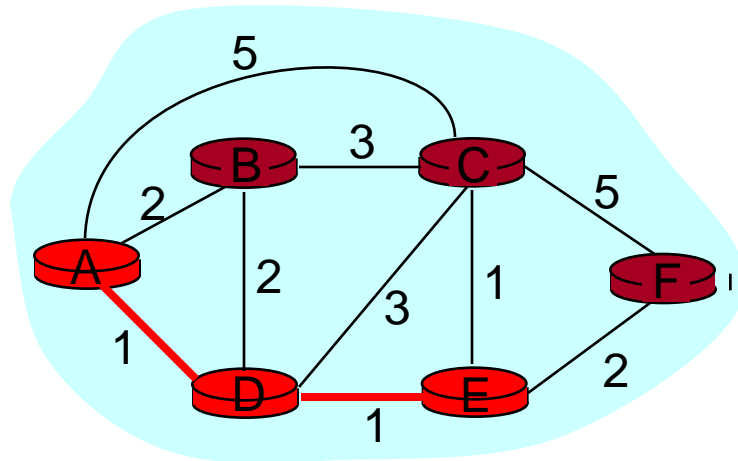


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2	ADE			3,E		4,E
3						
4						
5						



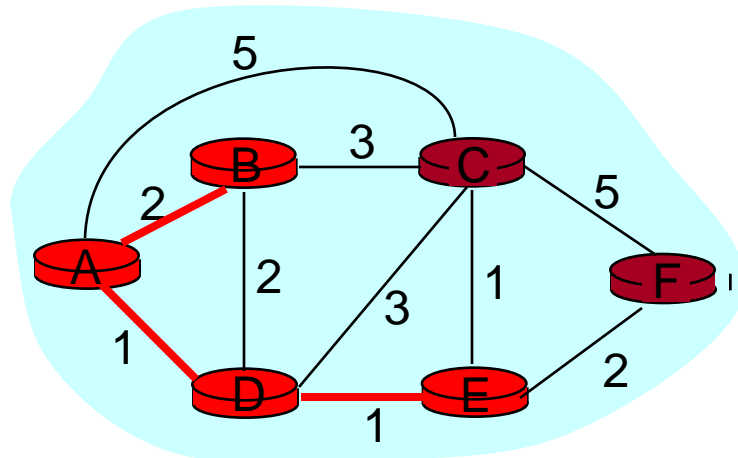
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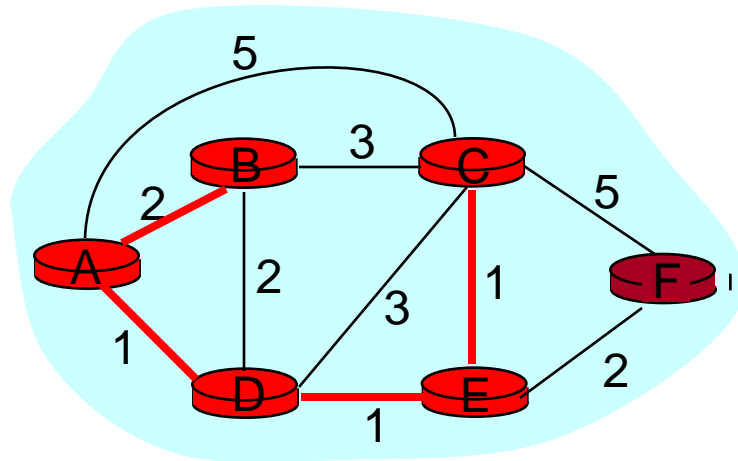
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2	ADE		3,E			4,E
3	ADEB					
4	ADEBC					
5						



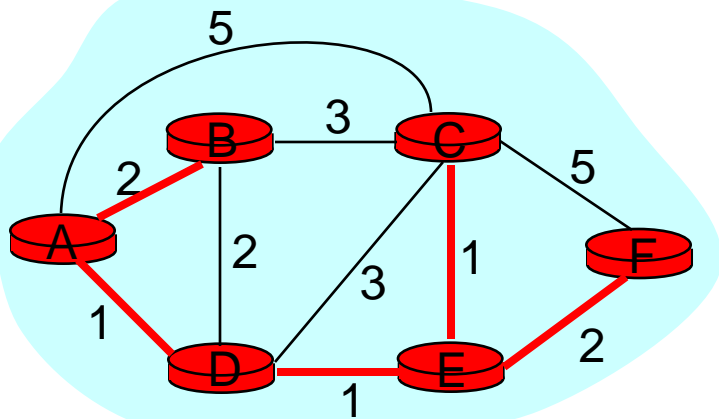
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3	ADEB					
4	ADEBC					
5	ADEBCF					



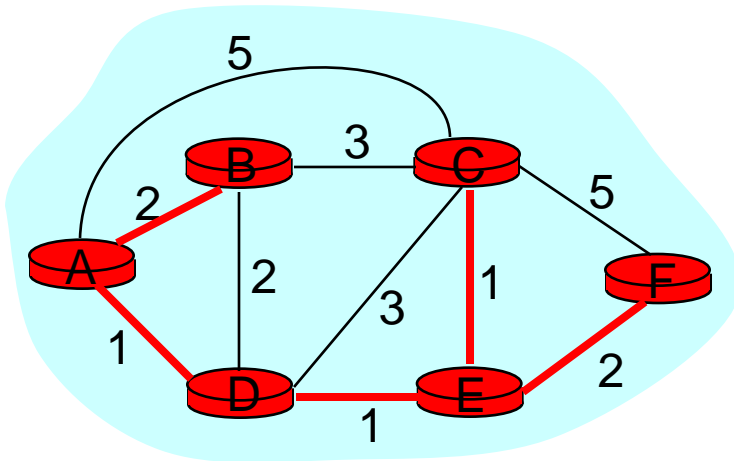
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Example: Dijkstra's Algorithm

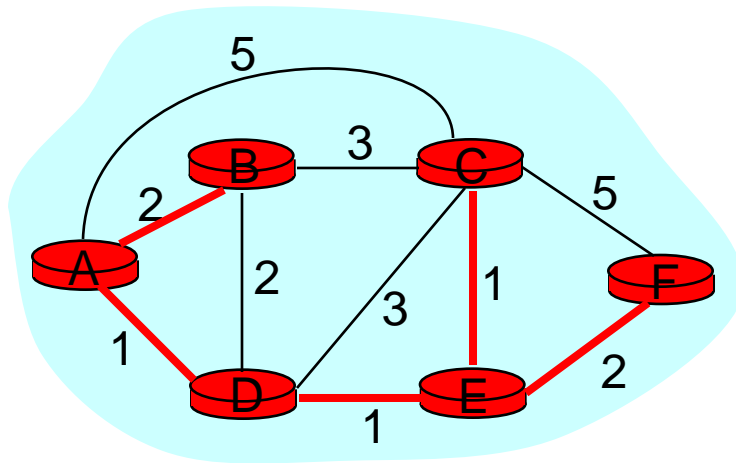
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4	ADEBC					
5	ADEBCF					



To determine path $A \rightarrow C$ (say),
work backward from C via $p(v)$

The Forwarding Table

- Running Dijkstra at node A gives the shortest path from A to all destinations
- We then construct the *forwarding table*



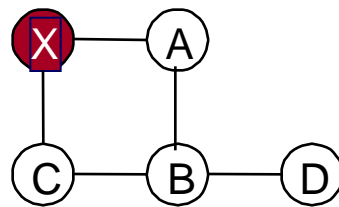
Destination	Link
B	(A,B)
C	(A,D)
D	(A,D)
E	(A,D)
F	(A,D)

Complexity

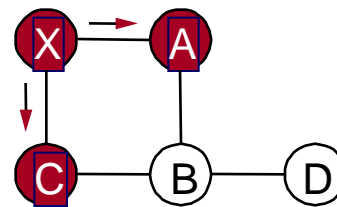
- How much processing does running the Dijkstra algorithm take?
- Assume a network consisting of N nodes
 - Each iteration: check all nodes w not in S
 - $N(N+1)/2$ comparisons: $O(N^2)$
 - More efficient implementations: $O(N \log(N))$

Flooding the Topology Information

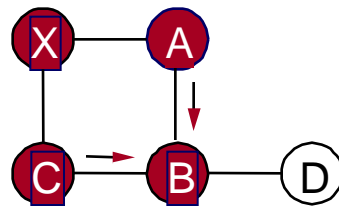
- Each router sends information out its ports
- The next node sends it out through all of its ports
 - Except the one where the information arrived
 - Need to remember previous msgs, suppress duplicates!



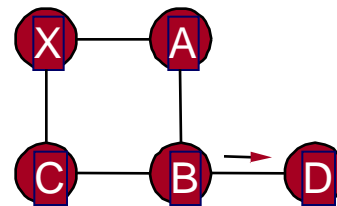
(a)



(b)



(c)



(d)

Making Flooding Reliable

- Reliable flooding
 - Ensure all nodes receive link-state information
 - Ensure all nodes use the latest version
- Challenges
 - Packet loss
 - Out-of-order arrival
- Solutions
 - Acknowledgments and retransmissions
 - Sequence numbers
- How can it still fail?

When to Initiate Flood?

- Topology change
 - Link or node failure
 - Link or node recovery
- Configuration change
 - Link cost change
 - Potential problems with making cost dynamic!
- Periodically
 - Refresh the link-state information
 - Typically (say) 30 minutes
 - Corrects for possible corruption of the data

Convergence

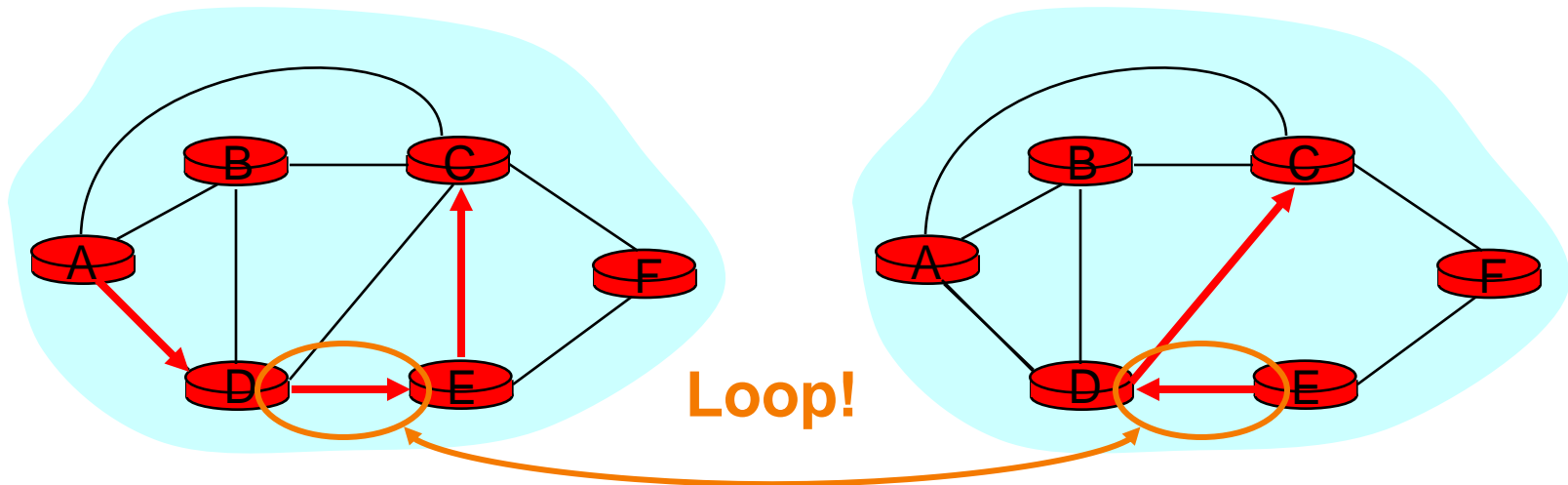
- Getting consistent routing information to all nodes
 - E.g., all nodes having the same link-state database
- Forwarding is consistent after convergence
 - All nodes have the same link-state database
 - All nodes forward packets on same paths

Convergence Delay

- Time elapsed before every router has a consistent picture of the network
- Sources of convergence delay
 - Detection latency
 - Flooding of link-state information
 - Recomputation of forwarding tables
 - Storing forwarding tables
- Performance during convergence period
 - Lost packets due to blackholes and TTL expiry
 - Looping packets consuming resources
 - Out-of-order packets reaching the destination
- Very bad for VoIP, online gaming, and video

Transient Disruptions

- Inconsistent link-state database
 - Some routers know about failure before others
 - The shortest paths are no longer consistent
 - Can cause transient **forwarding loops**



A and D think that this is the path to C

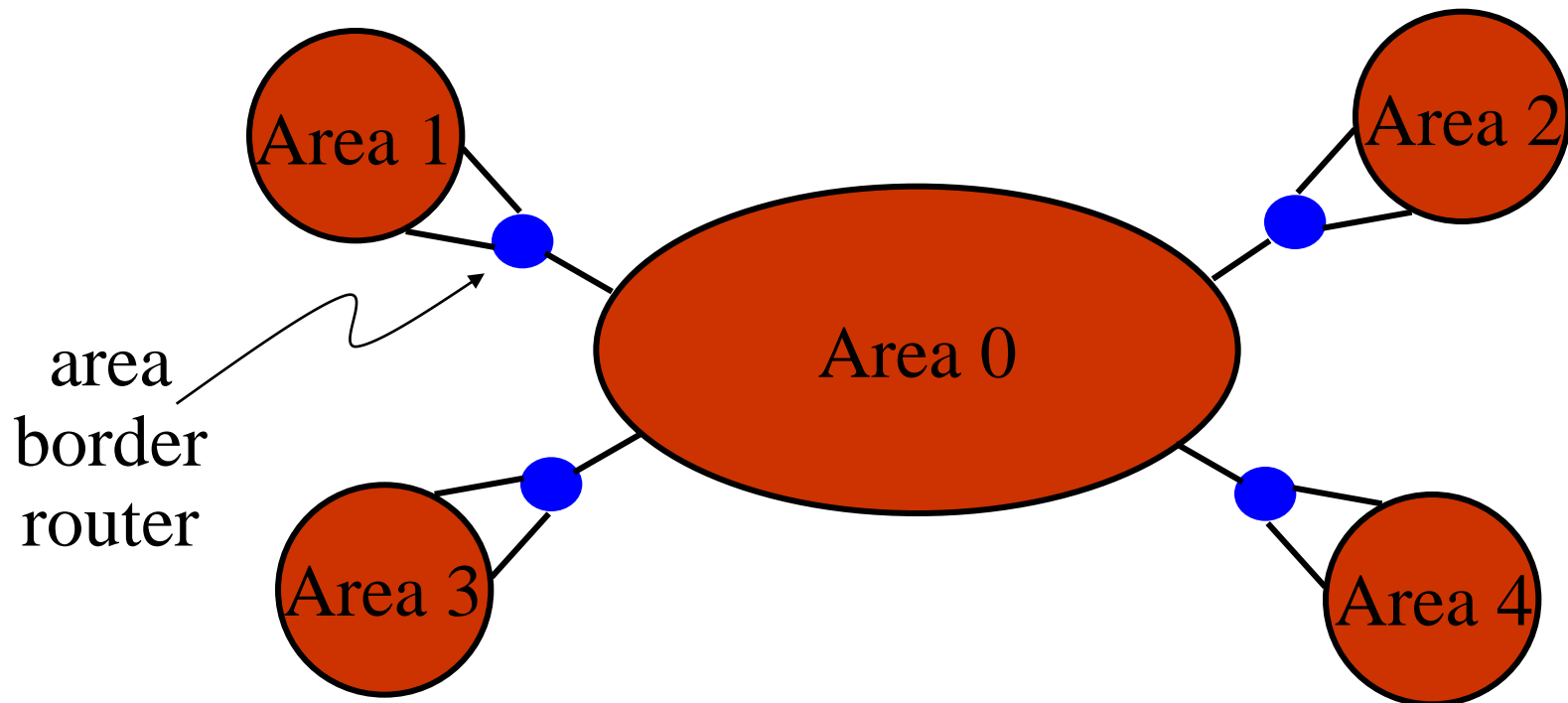
E thinks that this is the path to C

Reducing Convergence Delay

- Faster detection
 - Smaller “hello” timers
 - Link-layer technologies that can detect failures
- Faster flooding
 - Flooding immediately
 - Sending link-state packets with high-priority
- Faster computation
 - Faster processors on the routers
 - Incremental Dijkstra algorithm
- Faster forwarding-table update
 - Data structures supporting incremental updates

Scaling Link-State Routing

- Overhead of link-state routing
 - Flooding link-state packets throughout the network
 - Running Dijkstra's shortest-path algorithm
 - Becomes unscalable when 100s of routers
- Introducing hierarchy through “areas”



What about other approaches?

- Link-state is essentially a centralized computation:
 - **Global state, local computation**

- What about a more distributed approach?
 - **Local state, global computation**

Learn-By-Doing

I need 40 volunteers

If you haven't participated, this is your chance!

The Task

- Remove sheet of paper from beanbag, but do not look at sheet of paper until I say so
- You will have five minutes to complete this task
- Each sheet says:

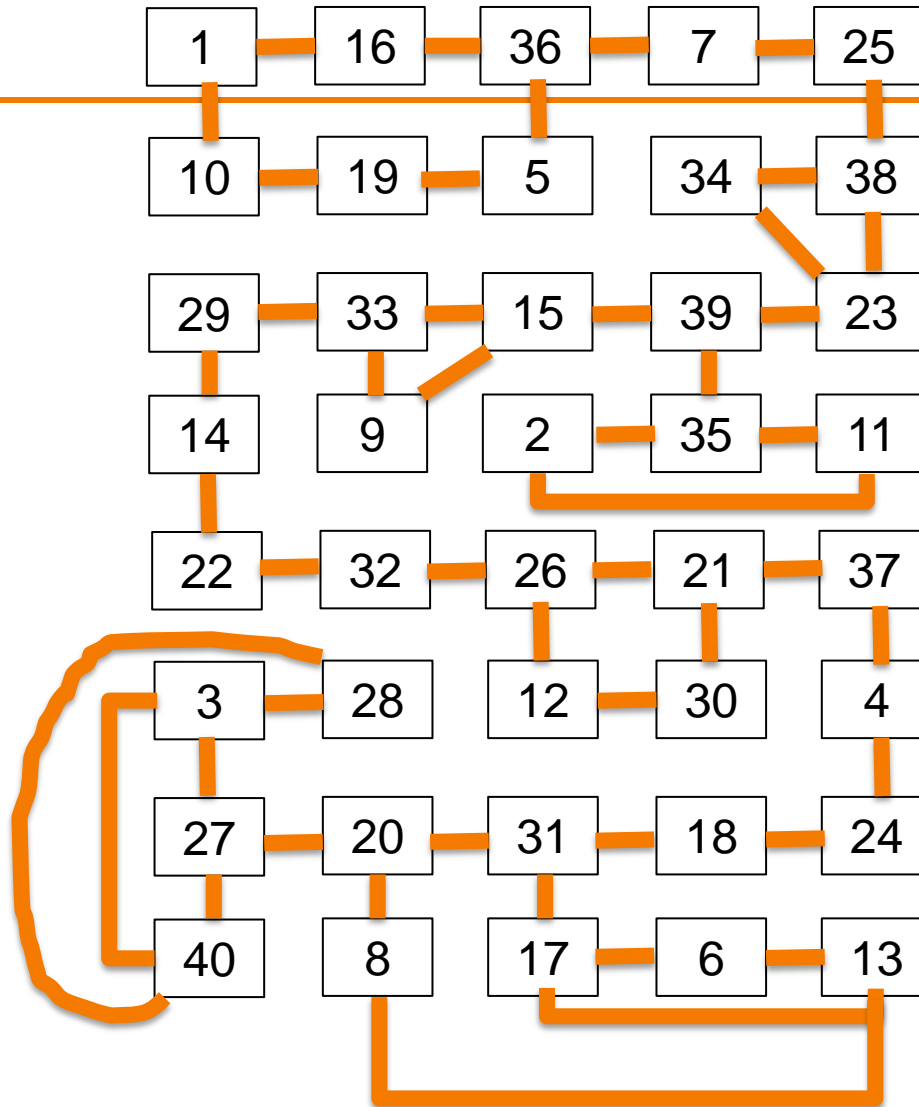
You are node X You are connected to nodes Y,Z

- **Your job:** find route from source (node 1) to destination (node 40) in five minutes

Ground Rules

- **You may not:**
 - Leave your seat (but you can stand)
 - Pass your sheet of paper
 - Let anyone copy your sheet of paper
- **You may:**
 - Ask nearby friends for advice
 - Shout to other participants (anything you want)
 - Curse your instructor (*sotto voce*)
- **You must:** *Try*

Go!



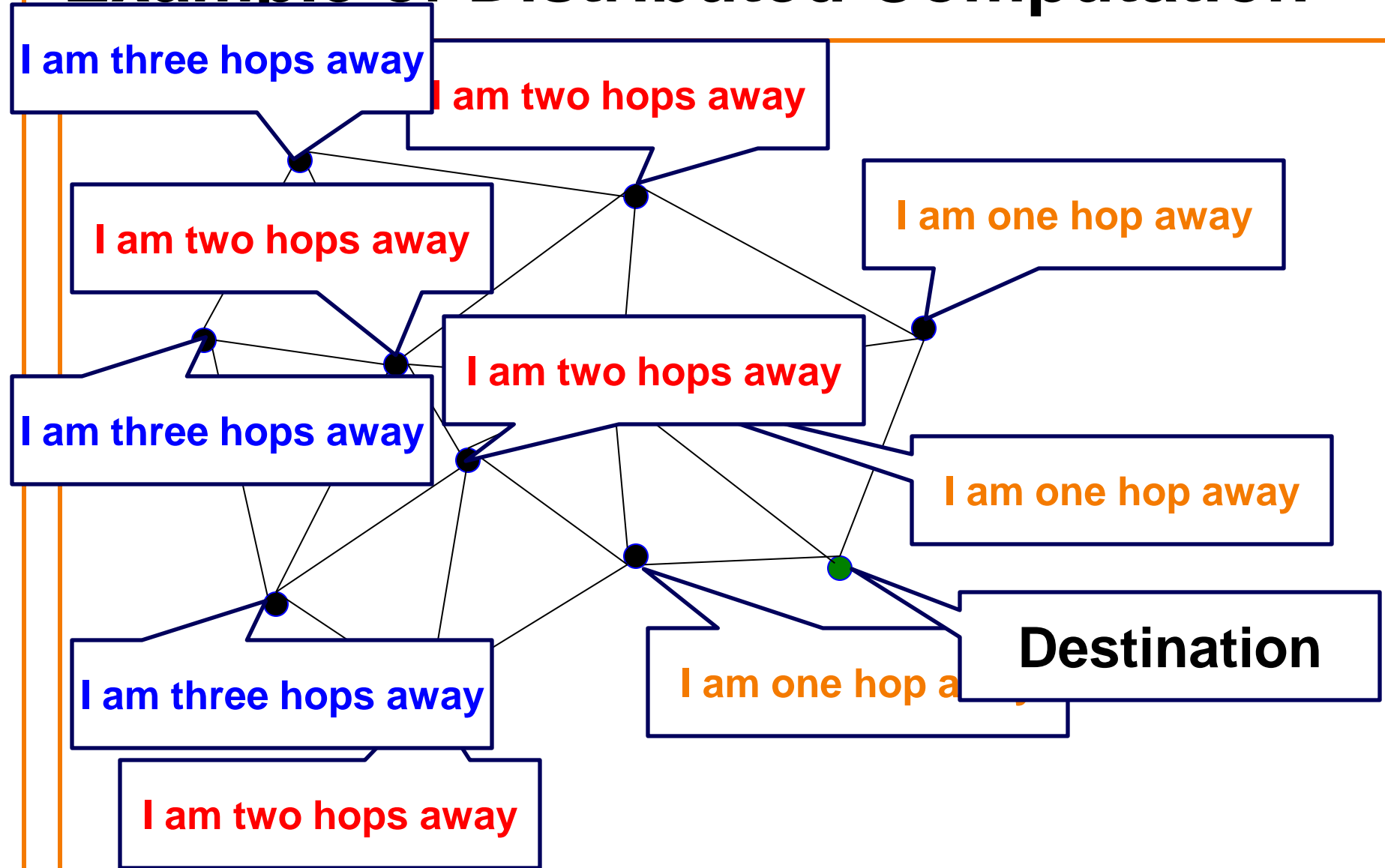
Distance-Vector

Details in Section

Distributed Computation of Routes

- More scalable than Link-State
 - No global flooding
- Each node computing the outgoing port based on:
 - Local information (who it is connected to)
 - Paths advertised by neighbors
- Algorithms differ in what these exchanges contain
 - Distance-vector: just the distance to each destination
 - Path-vector: the entire path to each destination
- We will focus on distance-vector for now

Example of Distributed Computation



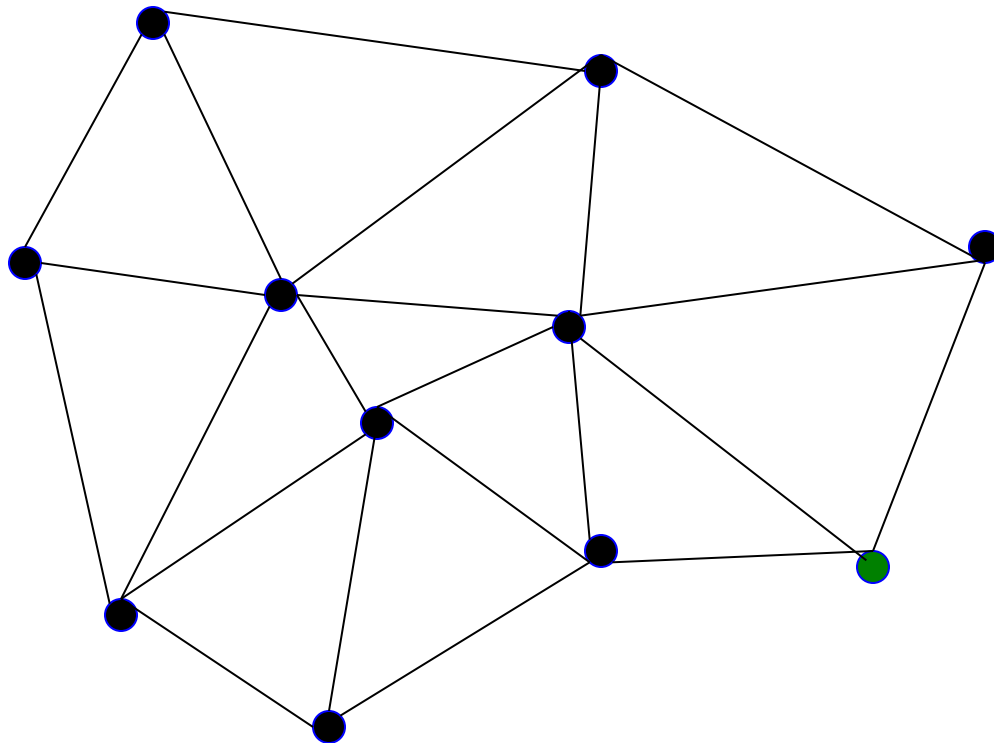
This is what you could have done

- Destination stands up
- Announces neighbors
 - They stand up
- They announce their neighbors
 - They stand up (if they haven't already done so)
 - **They remember who called them to stand**
-and so on, until source stands
- **Key point: don't stand up twice!**

Step 1

- Destination stands up

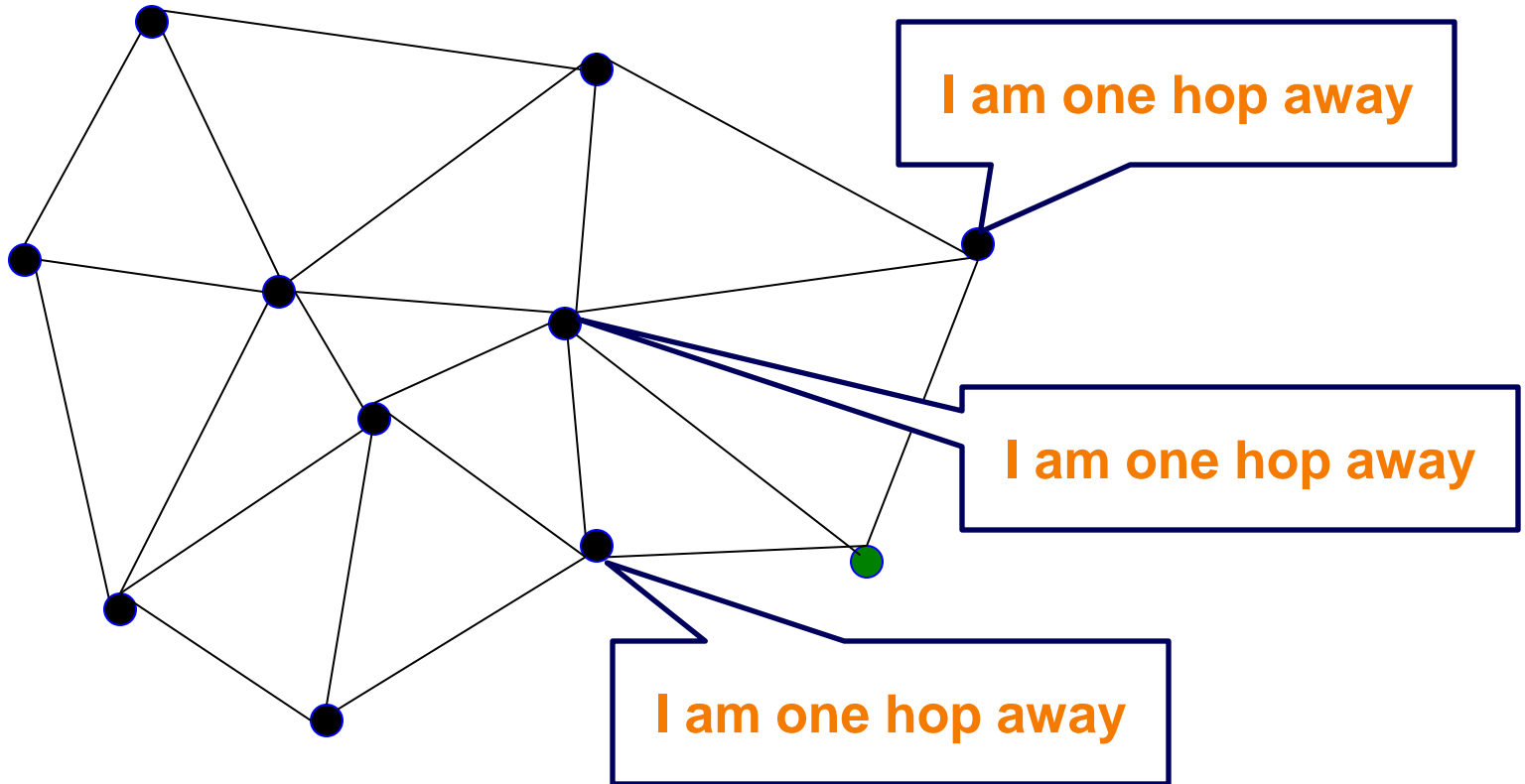
Step 1



Step 2

- Destination stands up
- Announces neighbors
 - They stand up

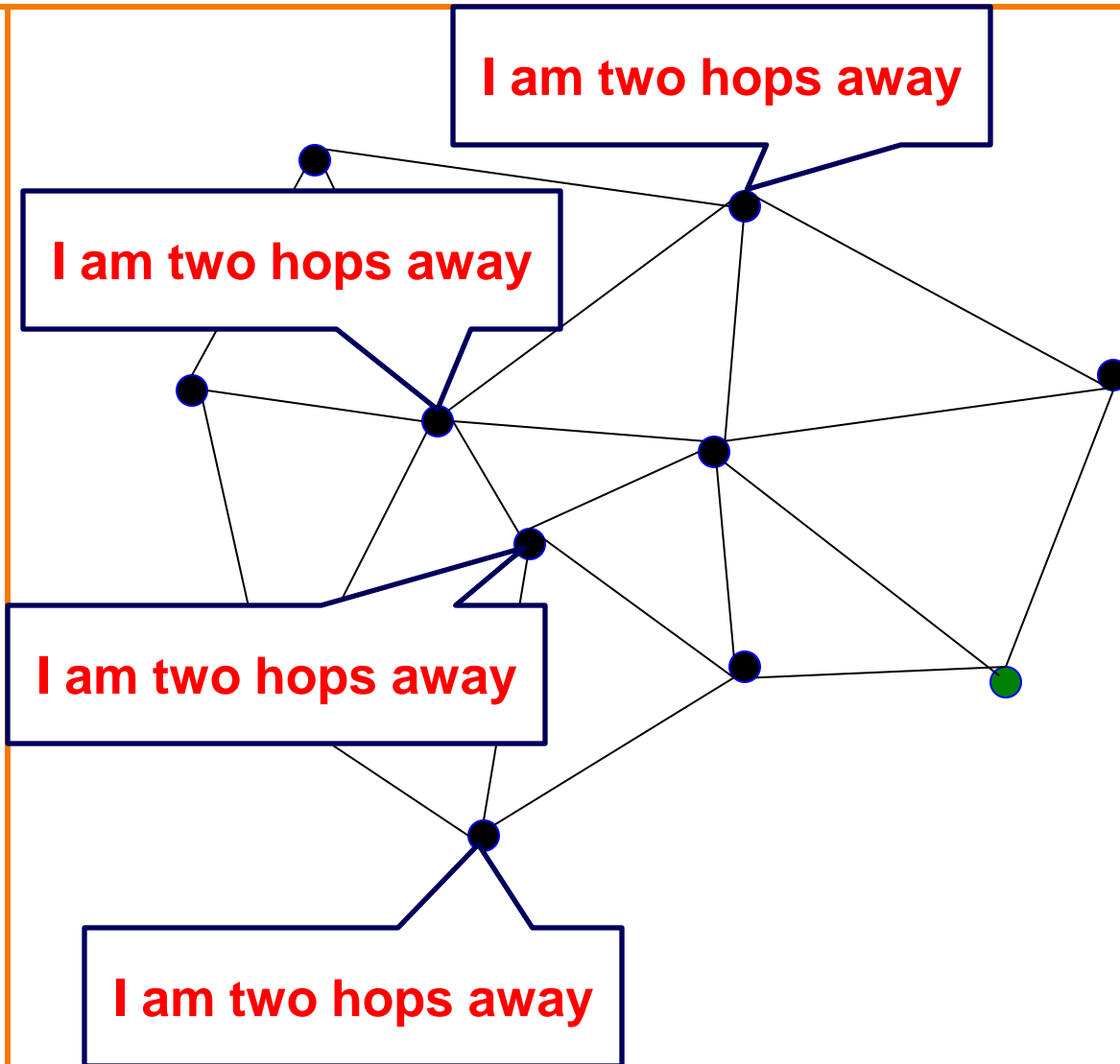
Step 2



Step 3

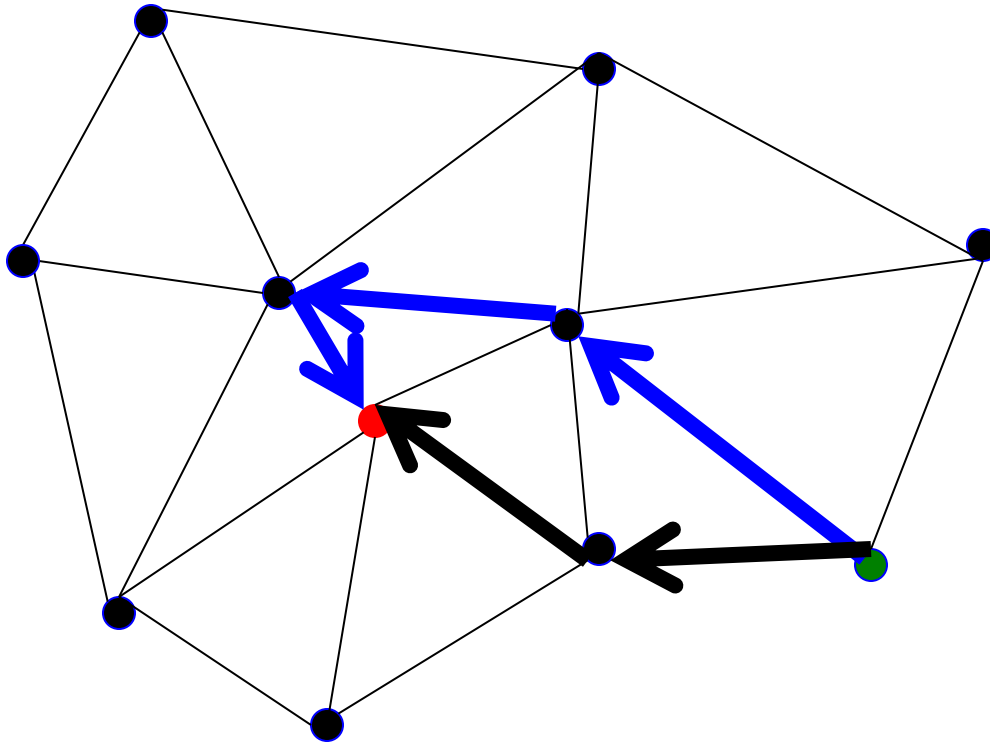
- Destination stands up
- Announces neighbors
 - They stand up
- They announce their neighbors
 - They stand up

Step 3



Why Not Stand Up Twice?

- Being called a second time means that there is a second (and longer) path to you
 - You already contacted your neighbors the first time
 - Your distance to destination is based on shorter path



Congratulations!

- You have “implemented” Distance-Vector routing
 - For a single destination
 - With the slowest code possible
- OK, so now let’s consider this more generally....

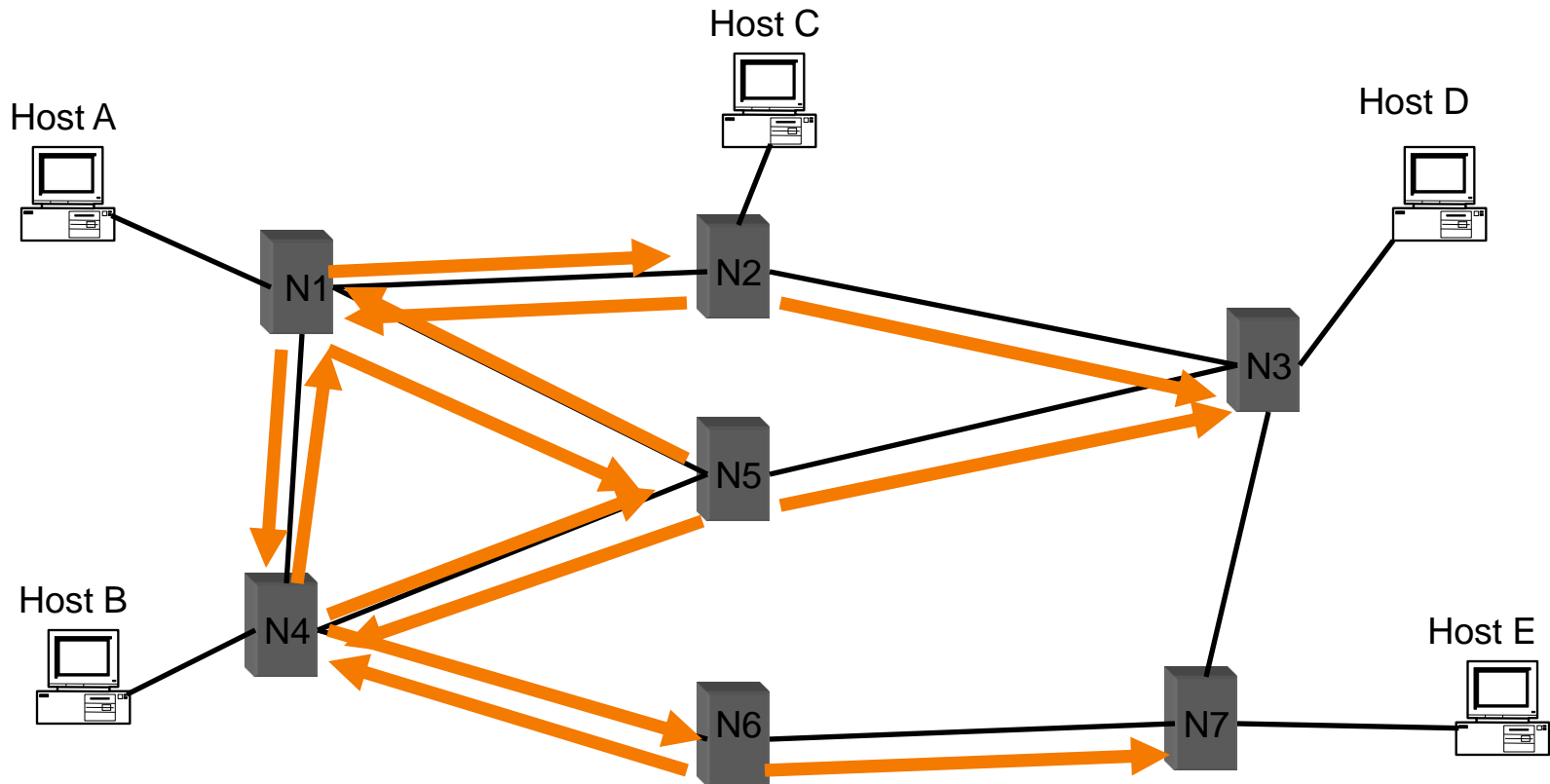
Routing “Metrics”

- Algorithm finds path with smallest hop-count
 - More complicated if you route with a different metric
- Other routing goals (besides hop-count)
 - Path with highest capacity
 - Path with lowest latency
 - Path with most reliable links
 -
- Generally, assume every link has “cost” or weight associated with it, and you want to minimize cost

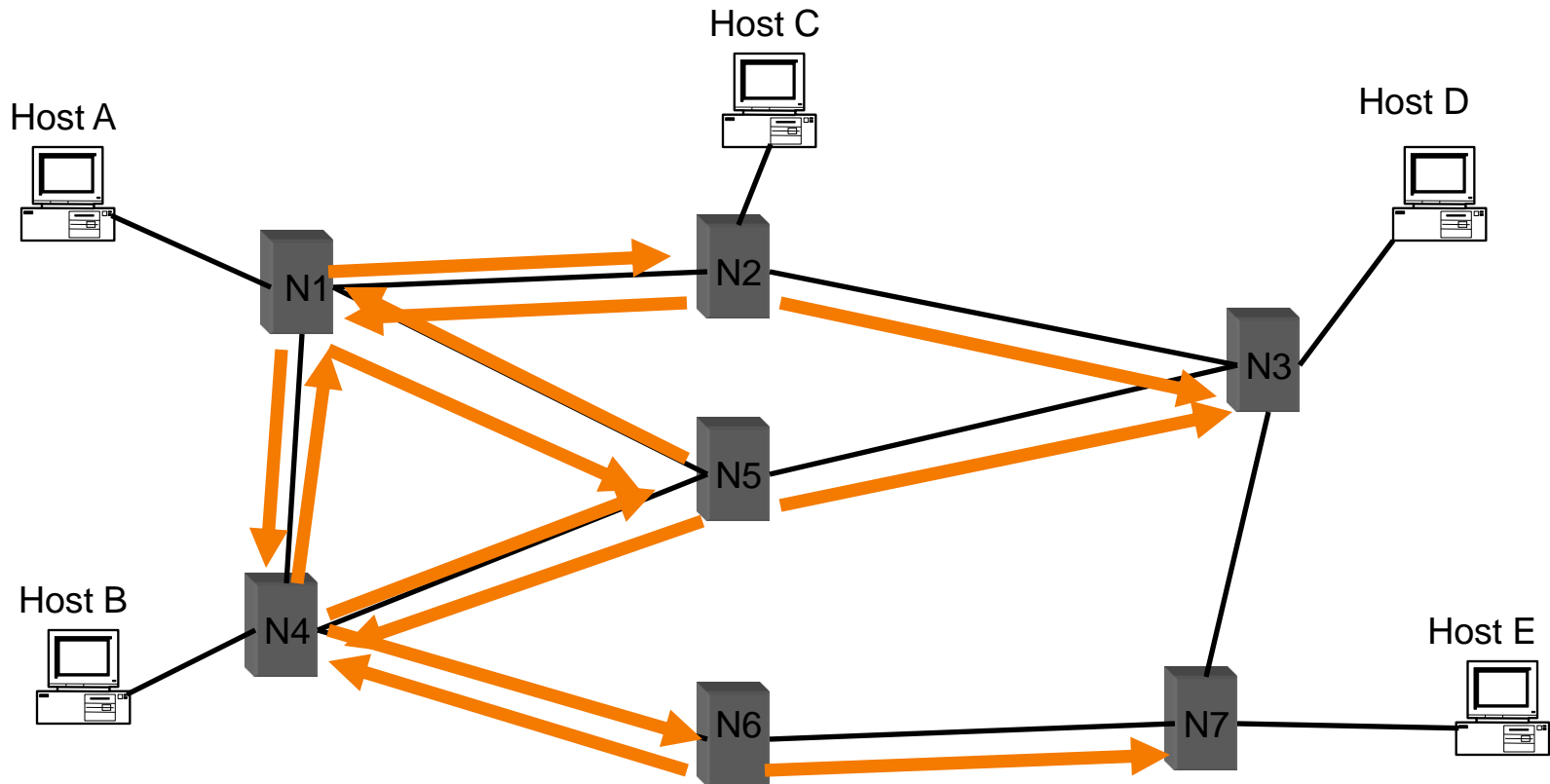
Distance Vector Routing

- Each router knows the links to its neighbors
 - Does *not* flood this information to the whole network
- Each router has provisional “shortest path”
 - E.g.: Router A: “I can get to router B with cost 11 via next hop router D”
- Routers exchange this *Distance-Vector* information with their neighboring routers
 - Vector because one entry per destination
- Routers update their idea of the best path using info from neighbors
- Iterative process converges to set of shortest paths

Information Flow in Distance Vector



Information Flow in Distance Vector



Information Flow in Distance Vector

Why is this different from flooding?

